## Simulations with rotation quads model for beam asymmetry studies (updated)

* Basic idea and method.
* Some investigations
- Based on quads rotation angle and position in ASTRA simulation.
* Beam simulation with rotation quads for beam wings
- 5 MW in the gun.
- 3 MW in the gun.
- 1.5 MW in the gun.
* Conclusions


Quantang Zhao PITZ physics Seminar Zeuthen, 26.05.2016


## Basic idea: Quads like field from coupler kicker or/and solenoid

## \#1 Rotational thin Quads can be used for compensation the coupler kicker:

$\tilde{\theta}_{q}\left(\phi_{s}\right)=\frac{1}{2} \tan ^{-1} \frac{v_{x y}^{r} \cos \phi_{s}-v_{x y}^{i} \sin \phi_{s}}{v_{x x}^{r} \cos \phi_{s}-v_{x x}^{i} \sin \phi_{s}}$
$\frac{1}{\tilde{f}_{q\left(\phi_{s}\right)}}=\frac{e V_{a c c}}{\beta \gamma m c^{2}} \sqrt{\left(v_{x x}^{r} \cos \phi_{s}-v_{x x}^{i} \sin \phi_{s}\right)^{2}+\left(v_{x y}^{r} \cos \phi_{s}-v_{x y}^{i} \sin \phi_{s}\right)^{2}}$

* Quantang Zhao PITZ physics Seminar Zeuthen, 09.02.2016
\#2 Quads used for compensation of quads like field from the solenoid:

Solenoid multipole field measurement with rotating coil sensor.



Figure 9: The amplitude and phase of the dipole, quadrupole, and sextupole terms as a function of longitudinal position at a current of 100 A .


Figure 11: The 4 wire quadrupole corrector attached to a $2.85^{\prime \prime}$ OD acrylic tube is
shown. The single wire starts and ends on the left. Adjacent wires have identical current but opposite polarity forming a quadrupole in the center of the tube.


Figure 12: The multi-pole amplitudes as a function of corrector current with the solenoid current at 0 A is plotted on the left. On the right is the multi-pole amplitude as a function of solenoid current with the corrector at 2.7 A and 3.6 A for the solenoid current at 150 A and 200 A respectively.

## Method

Use rotation quads model in ASTRA simulation by scanning the rotation angle and z position.
$\rightarrow$ Find the parameters for beam images at high1 scr1 to fit the experiment images, the direction of the beam wings for both solenoid polarity.
$\rightarrow$ 2D-3D space charge used in ASTRA simulation, z_trans $=0.12 \mathrm{~m}$.
Q_length $(1)=0.01$,
Q_K(1)=+-0.6,
Q_pos(1) $=x \cdot x$. ,
Q_zrot(1)= y.yy
Pgun=5MW, 6.178 MeV/c, gradient is 54.2 MV/c

$Z=0.18, Q \_k=-0.6, Q \_z r o t=135$ degree

Rotation quads simulation analysis results, at $\mathbf{z}=0.18 \mathrm{~m}$.


## Rotation quads simulation analysis results: beam wings direction fit. Z $=0.18 \mathrm{~m}$



## $\rightarrow$ Skew quads

The quads rotation angle around 45 degree with positive polarity. The quads rotation angle around 135 degree with negative polarity.
$\rightarrow$ the rotation quads have same polarity when change the solenoid polarity.

Rotation quads simulation analysis results, $\mathbf{z}=0.34 \mathrm{~m}$.


## Rotation quads simulation analysis results: beam wings direction fit, $\mathrm{z}=0.34 \mathrm{~m}$



## $\rightarrow$ nomal quads

 The quads rotation 0,90 , 180 degree.$\rightarrow$ the quads also changes its polarity when change the solenoid polarity.

## Rotation quads simulation analysis for other positions

| start angle, 0 degree | nsnq[deg] | nspq[deg] | psnq[deg] | pspq[deg] |
| :---: | :---: | :---: | :---: | :---: |
| 0.18 m | 150 | 60 | 30 | 120 |
| 0.28 m | 125 | 35 | 55 | 145 |
| 0.34 m | 110 | 20 | 70 | 160 |

$$
y=-x+K
$$

K is the beam wings clockwise rotational angle, when the quads rotation angle is 0 degree (initial set value).



$\checkmark$ Rotation quad position at $z=0.24 \mathrm{~m}, 0.28 \mathrm{~m}, 0.30 \mathrm{~m}$ are also analysed, could not find right rotation angle fit to the beam wings direction for both negative and positive solenoid current. Data file are saved at $\mathrm{N}: \backslash 4 \mathrm{groups} \backslash z n \_p i t z \backslash N F S I D a t a \backslash B e a m \_I m p e r f e c t i o n s \_S t u d i e s \backslash S i m u l a t i o n s \backslash A S T R A \_r o t a t i o n a l \_q u a d s . ~$

## Beam simulation with skew quads at $\mathbf{z}=0.18 \mathrm{~m}$ for beam wings

$\rightarrow$ All ASTRA simulation set up are same with experiment set up, beam momentum and solenoid current.
$\rightarrow$ When the rotation angle is 135 degree, the quads polarity should be negeative.
Pgun=5MW, 6.178 MeV/c, gradient is 54.2 MV/c, no booster 05.09A-06.09N.2015.


2D-3D space charge, z_trans $=0.12 m, Q \_k=-0.6$

/skew quadrupole Q_type(1) = 'skew', Q_length(1)=0.01, Q_K(1)= XXX, Q_pos(1)=0.18,


2D space charge, Q_k= -0.2


Beam wings for 3 MW in the gun with skew quads at $\mathbf{z}=0.18 \mathrm{~m}$

3MW in the gun, momentum 4.848 MeV/c, gradient 42.2 MV/m


2D space charge, $Q \_K=-0.3$.

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## Beam wings for 1.5 MW in the gun with skew quads at $z=0.18 \mathrm{~m}$



## Summary

$\rightarrow$ Beam images at High1.Scr1 fit well with ASTRA simulation with skew quads model at $z$ $=0.18 \mathrm{~m}$ for different gun gradient and different solenoid current.
$\rightarrow$ In the table, the skew quads $Q \_k$ is the minimum value from simulation when the beam wings can be observed.

Skew quads at $z=0.18 \mathrm{~m}$.

| Power in the gun | Gradient (MV/m) | Momentu m (exp) ( $\mathrm{MeV} / \mathrm{c}$ ) | Charge (pC) | $\begin{aligned} & \text { Skew } \\ & \text { Q_Position } \\ & (\mathrm{m}) \end{aligned}$ | Beam momentum at $z=0.18$ (simu) | Skew Q_k (m^-2) <br> (2D space charge/ 2D3D space charge) | $\begin{gathered} \text { Skew_Q } \\ {\left[\text { Gradient }^{*} \mathrm{q}\right]} \end{gathered}$ | Skew Q_length (m) | Solenoid current(A) (for wings/tilt) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 5MW | 54.2 | 6.1 | 500 | 0.18 | 6.074 | $\begin{aligned} & \sim<-0.2 \\ & \sim<-0.6 \end{aligned}$ | $\begin{aligned} & \sim<-1.22 \\ & \sim<-3.64 \end{aligned}$ | 0.01 | 361/356 |
| 3MW | 42.2 | 4.84 | 334 | 0.18 | 4.818 | $\begin{aligned} & \sim<-0.3 \\ & \sim<-0.6 \end{aligned}$ | $\begin{aligned} & \sim<-1.44 \\ & \sim \end{aligned}$ | 0.01 | 290/282 |
| 1.5 MW | 31.4 | 3.69 | 334 | 0.18 | 3.685 | $\begin{aligned} & \sim<-0.4 \\ & \sim<-1.5 \end{aligned}$ | $\begin{aligned} & \sim<-1.47 \\ & \sim-5.52 \end{aligned}$ | 0.01 | 219/210 |

$B_{0} \rho=\frac{P_{0}}{q}, \quad k(s)=\frac{g(s)}{B_{0} \rho} \quad g(s)=k(s) \cdot P_{0} / \mathrm{q}$

## Beam simulation with normal quads at $z=0.34 \mathrm{~m}$ for beam wings

$\rightarrow$ All ASTRA simulation set up are same with experiment set up, beam momentum and solenoid current.
$\rightarrow$ When the rotation angle is 90 degree, the quads polarity should be same with solenoid polarity for beam wings fit to experiment.

Pgun=5MW, 6.178 MeV/c, gradient is 54.2 MV/c, no booster 05.09A-06.09N.2015.

```
Q_length(1)=0.01
Q_K(1)=xxx
Q_pos(1)=0.34
Q_zrot(1)=1.5708 (90 degree)
```



2D-3D space charge, z_trans $=0.12 \mathrm{~m}$

$$
\text { Q_k= }-0.2
$$




356A


Q_k= 0.2


Beam asymmetry for 3MW in the gun, rotation angle 90 degree, at $\mathbf{z = 0 . 3 4 m}$.

3MW in the gun, momentum 4.848 MeV/c, gradient 42.2 MV/m



2D to 3D space charge, from $z=0.12 \mathrm{~m}$
Q_K= -0.3

$$
\text { Q_K= } 0.3
$$



Beam asymmetry for 1.5MW in the gun, rotation angle 90 degree at $\mathbf{z}=0.34 \mathrm{~m}$.
1.5 MW in the gun, momentum 3.691 MeV/c, gradient 31.4MV/m

Q_K= -1.0


## Conclusions

> Beam images at High1.Scr1 fit well between experiment and ASTRA simulation with rotation quads model for different gun gradient and different solenoid current.
> The rotation quads position and rotation angle can be estimated by ASTRA simulation:
$\checkmark$ Position: around $\mathrm{z}=0.18 \mathrm{~m}$
Rotation angle: Skew quads[45 degree( negative polarity) or $\sim 135$ degree( positive polarity)].
Polarity: same, not effected by solenoid field polarity.
$\checkmark$ Position: around $\mathrm{z}=0.34 \mathrm{~m}(\sim 0.36 \mathrm{~m})$
Rotation angle: normal quads.
Polarity: when change the solenoid polarity, the quads polarity also changed.
> The non-ideal field for beam asymmetry are most probably around at $z=0.18 \mathrm{~m}$, the skew quads at the transition region of coupler to gun cavity, or/and at $z=0.34 \mathrm{~m}$, the normal quads near the exit region of the solenoid.
> Consider and design the skew quads and normal quads for beam asymmetry compensation with beam test....

## Back slides

$Z=0.18, Q \_k=-0.6$, different quad rotational angle field plot from ASTRA

Skew(135 degree)

$0.6 \mathrm{rad}, 34.4$ degree

0.1 rad, 5.73 degree

$0.8 \mathrm{rad}, 45$ degree

0.4 rad, 22.9 degree

2.356 rad, 135 degree


## Beam ring from 1.5 MW simulation

## -210A, 1.5 MW, 2D space charge








!Not flip horizontal

## Beam asymmetry for 1.5 MW in the gun (core+halo GV model)

### 1.5 MW in the gun, momentum $3.691 \mathrm{MeV} / \mathrm{c}$, gradient $31.4 \mathrm{MV} / \mathrm{m}$

2D to 3D space charge, from $z=0.12 m, Q_{-} k=-2.0$


BSA 1.2 mm laser Distribution.


$-210 \mathrm{~A}$


W/o halo


219A


210A


2D space charge simulation



## Beam asymmetry for 1.5 MW in the gun (core+halo MK model)

### 1.5 MW in the gun, momentum $3.691 \mathrm{MeV} / \mathrm{c}$, gradient $31.4 \mathrm{MV} / \mathrm{m}$

2D to 3D space charge, from $z=0.12 m, Q \_k=-2.0$


BSA 1.2 mm laser Distribution.


P I T Z Q_k = -0.4

219A


210A




